

A calculus for Bitcoin smart contracts

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Motivation

- Designing **secure** smart contracts is **hard**
 - Ethereum attacks: TheDAO, Parity
- **Bugs** can have very large consequences
 - TheDAO: 3M ETH / ~50M\$ then / ~3000M\$ now / fork
 - Parity: ~150M\$ recently
- How to guarantee **bug-free** contracts?

Our Approach

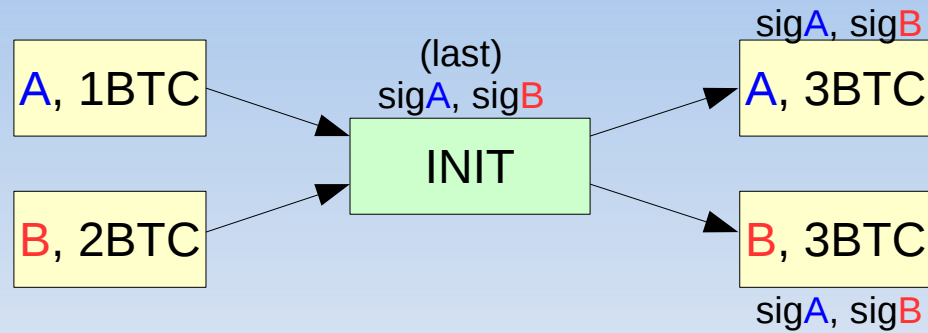
- Identify a **class** of smart contracts on **Bitcoin**
 - Simple enough to study
 - General enough for applications
- Design a **specification language** for that class
 - BitML
- Build a **“compiler”** from the language to Bitcoin
 - Symbolic specification to computational implementation
 - Leverage our formal model for Bitcoin (Financial Cryptography 2018)

BitML

A simple process calculus featuring:

- **Stipulation**: initial deposits & secret commitment
- **Running** a stipulated contract
 - additional deposit
 - withdrawal
- **Constraints**:
 - signature
 - secret reveal
 - time deadline

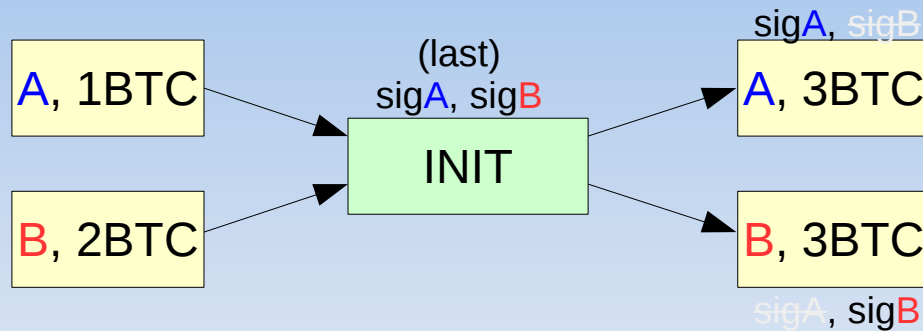
Example: “Far West”



init { $A : 1 \text{฿}$ $B : 2 \text{฿}$ }

(withdraw A
+ withdraw B)

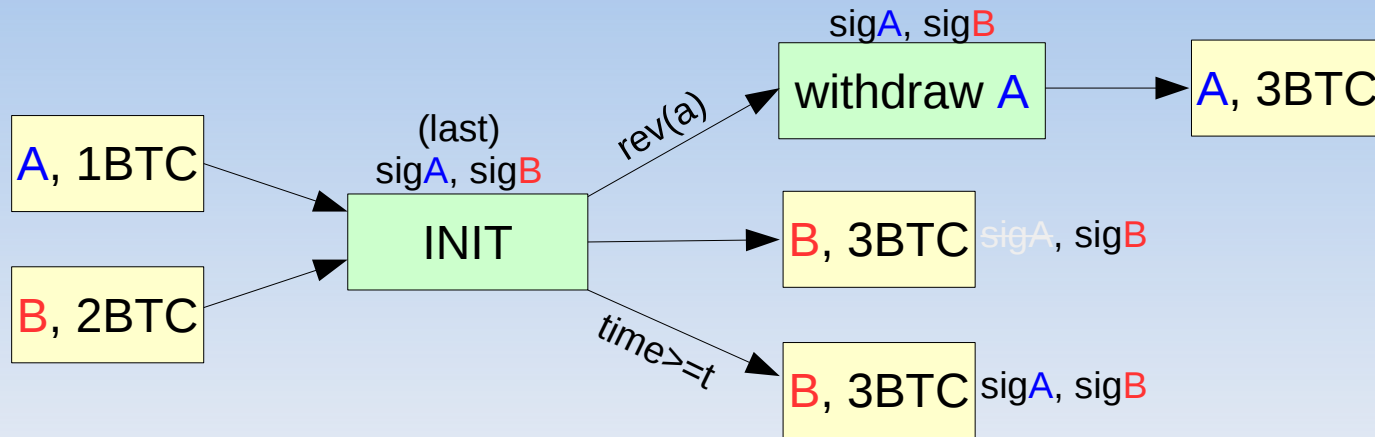
Example: Authorization



init { $A : 1 \text{฿}$ $B : 2 \text{฿}$ }

($B : \text{withdraw } A$
+ $A : \text{withdraw } B$)

Example: Incentive to Reveal



init { $A : 1 \text{ ₿}$, secret a $B : 2 \text{ ₿}$ }

(reveal a . withdraw A
+ A : withdraw B
+ after t : withdraw B)

Example: Fair Lottery

(general protocol: Bartoletti, Zunino - Bitcoin Workshop 2017)

init { A : 1 ฿ , secret a
 B : 1 ฿ , secret b }

(reveal a .

 (reveal b . if $(a + b) \% 2 = 0$
 then withdraw A
 else withdraw B

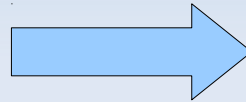
 +after $2 \cdot t$: withdraw A)

+after t : withdraw B)

Results

- Prove the compiler computationally sound

attacks at the Bitcoin level



attacks at the BitML level

- We can look for attacks in the simpler model, only
- This enables formal verification techniques

Thank you

Computational vs Formal Models

	Computational	Formal
Messages	bit strings	symbolic terms (e.g. $\text{enc}(x,k)$)
Network	controlled by the adversary	controlled by the adversary
Adversary operations	anything	fixed set (enc, dec, ...)
Adversary limits	complexity probability	no limits
Protocol verification	hard	easier tool-supported (& bridge results)